

Le modèle à courant continu

Modélisation causale

MCC : équations



$$u(t) = e(t) + R \cdot i(t) + L \frac{di(t)}{dt}$$

$$e(t) = K_e \omega_m(t)$$

$$J \frac{d\omega_m(t)}{dt} = C_m(t) - C_r(t) - f \omega_m(t)$$

$$C_m(t) = K_m \cdot i(t)$$

$u(t)$ = tension appliquée aux bornes du moteur [V]

$e(t)$ = force électromotrice [V]

$i(t)$ = le courant [A]

$C_m(t)$ = le couple moteur [N.m]

$C_r(t)$ = le couple résistant [N.m]

$\omega_m(t)$ = la vitesse de rotation du moteur [rad/s]

R = la résistance des armatures du moteur [Ω]

L = l'inductance des armatures du moteur [H]

J = l'inertie du moteur [kg.m²]

f = coefficient de frottement [N.m.s]

K_m = constante du couple moteur [N.m/A]

K_e = constante de force électromotrice [V.s/rad]

Les équations dans l'espace de Laplace

$$f(t) \rightarrow F(s)$$

La transformée de Laplace et la dérivée :

$$f'(t) \rightarrow sF(s) - f(0)$$

Grandeur	$u(t)$	$i(t)$	$e(t)$	$\omega(t)$	$C_m(t)$	$C_r(t)$
Transformée de Laplace	U	I	E	Ω	$F(C_m)$	$F(C_r)$

Tableau 1

$$\begin{aligned} u(t) &= e(t) + R \cdot i(t) + L \frac{di(t)}{dt} \\ e(t) &= K_e \omega_m(t) \\ J \frac{d\omega_m(t)}{dt} &= C_m(t) - C_r(t) - f \omega_m(t) \\ C_m(t) &= K_m \cdot i(t) \end{aligned}$$



$$\begin{aligned} U &= E + RI + sL \cdot (I + i(0)) \\ E &= K_e \Omega \\ sJ\Omega - J\omega_m(0) &= F(C_m) - F(C_r) - f\Omega \\ F(C_m) &= K_m I \end{aligned}$$



$$\begin{aligned}
 U &= E + RI + sL \cdot (I + i(0)) \\
 E &= K_e \Omega \\
 sJ\Omega - J\omega_m(0) &= F(C_m) - F(C_r) - f\Omega \\
 F(C_m) &= K_m I
 \end{aligned}$$



$$\begin{aligned}
 (U - E) \frac{1}{Ls + R} &= I \\
 E &= K_e \Omega \\
 (F(C_m) - F(C_r)) \frac{1}{Js + f} &= \Omega \\
 F(C_m) &= K_m I
 \end{aligned}$$

$$(U - E) \frac{1}{Ls + R} = I$$

$$E = K_e \Omega$$

$$(F(C_m) - F(C_r)) \frac{1}{Js + f} = \Omega$$

$$F(C_m) = K_m I$$

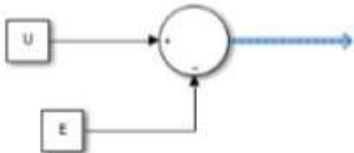
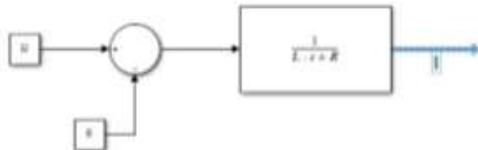
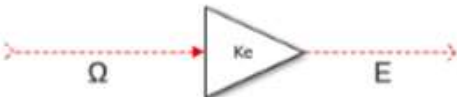
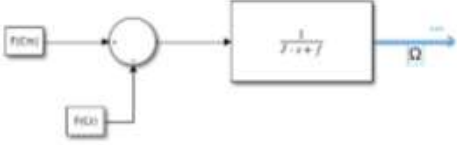

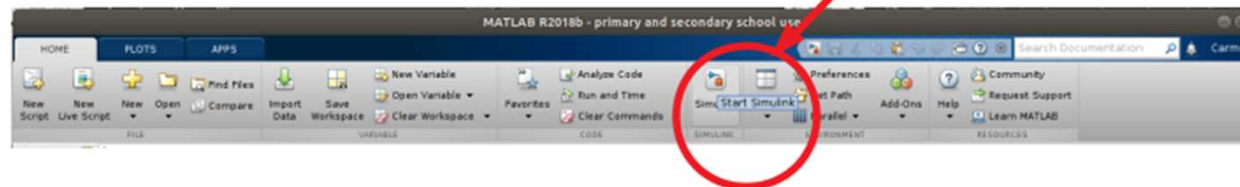
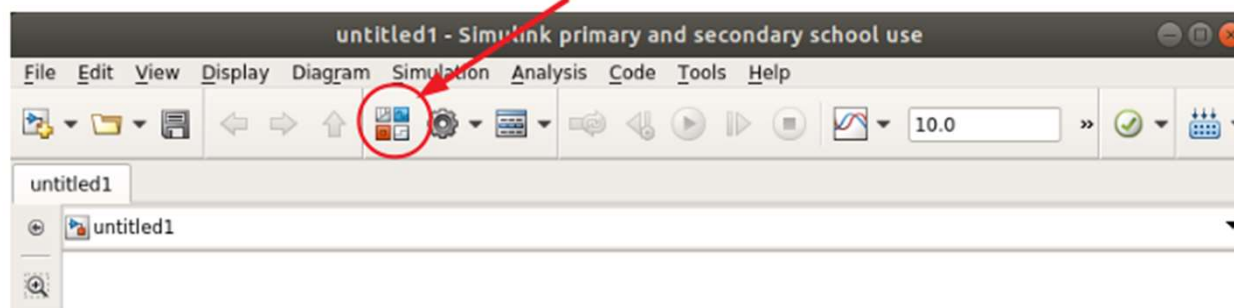
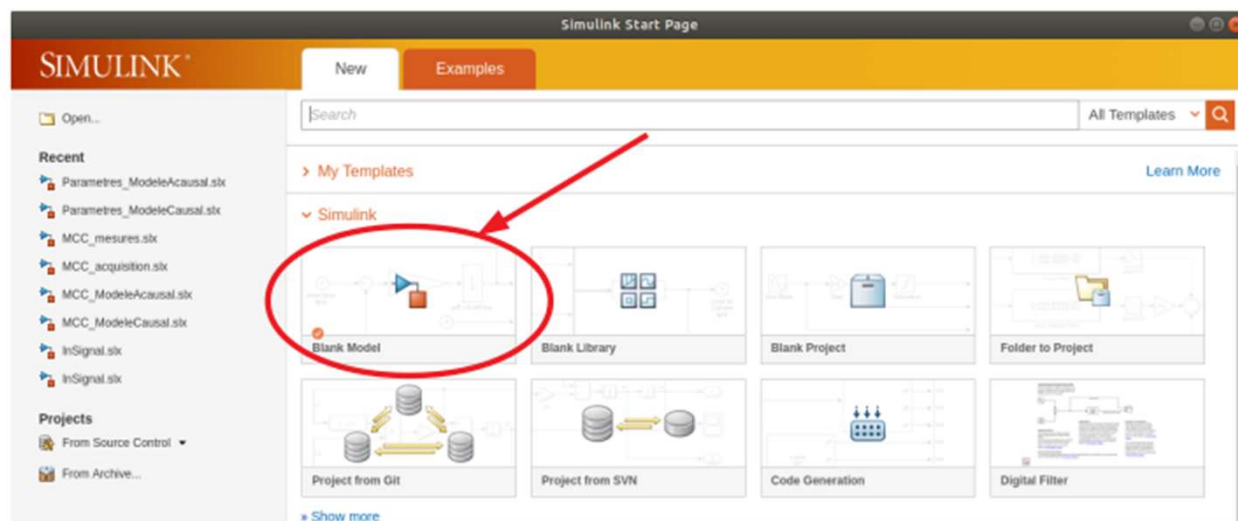
Équation	Blocs associés
$U - E$	
$(U - E) \frac{1}{Ls + R} = I$	
$E = K_e \Omega$	
$(F(C_m) - F(C_r)) \frac{1}{Js + f} = \Omega$	
$F(C_m) = K_m I$	

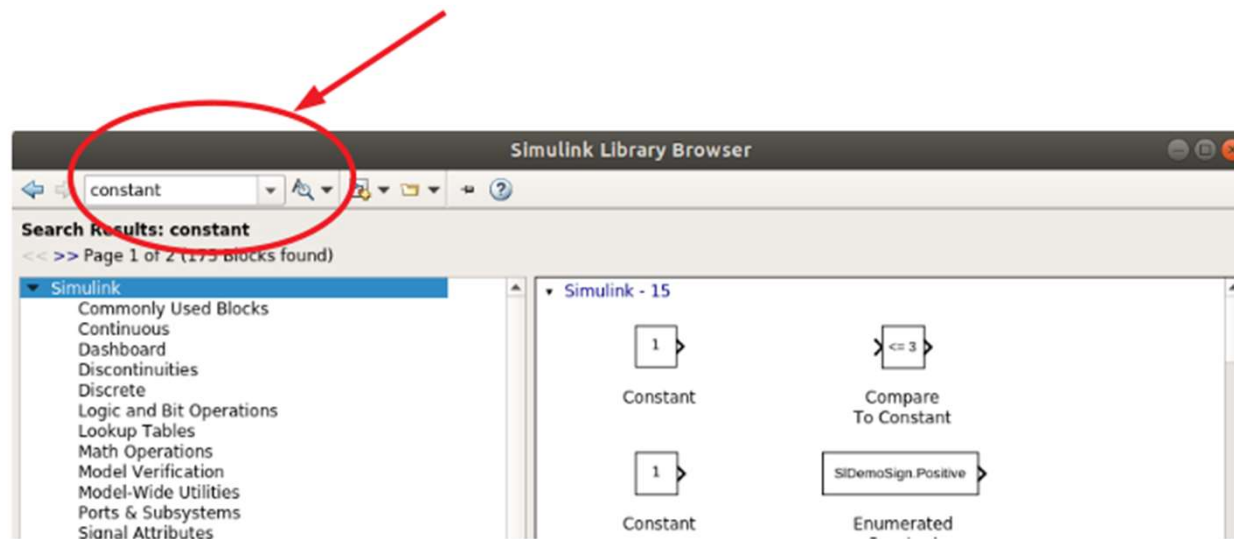
Tableau 2



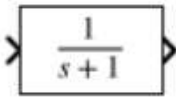
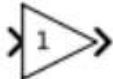

Construction du modèle Simulink

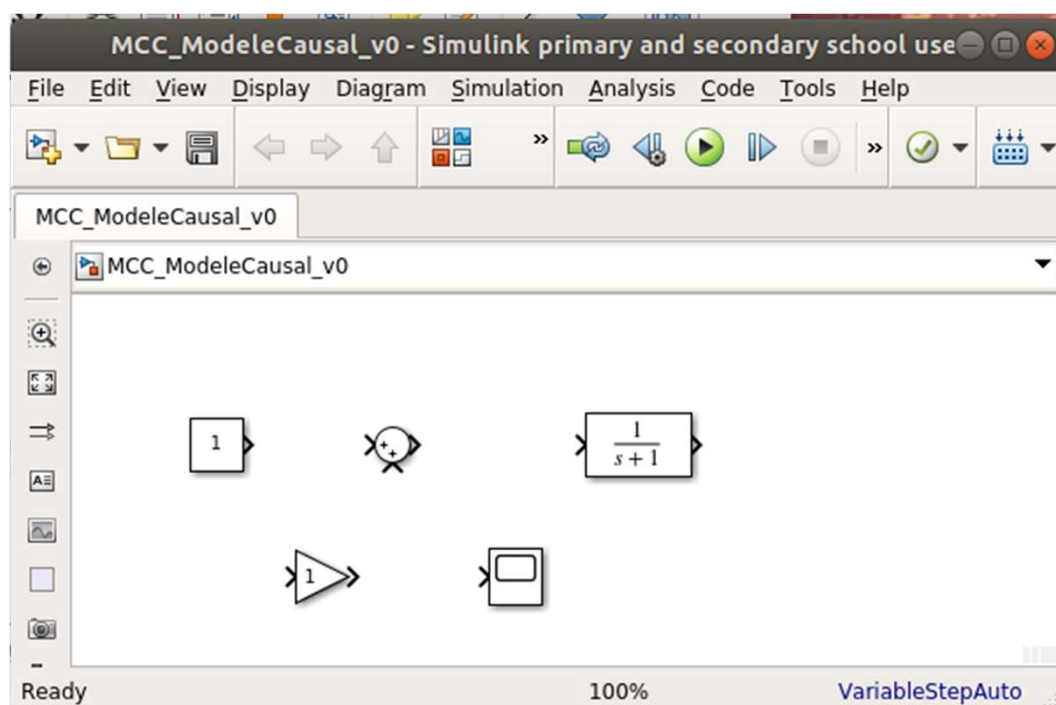
```
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Fichier Édition Affichage Rechercher Terminal Aide  
carmen@carmen-HP-Pavilion-Laptop-15-cs0xxx:~$ matlab
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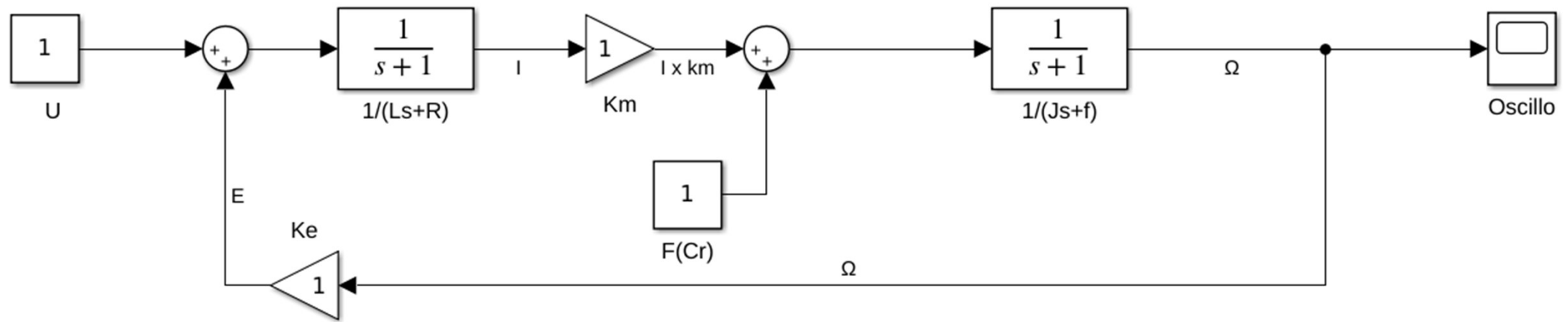






Nom et rôle du bloc	Bloc Simulink	Bibliothèque
« Constant » Tension	 Constant	<u>Simulink/Commonly Used Blocks</u>
« Sum » Soustraction ou Addition	 Sum	<u>Simulink/Commonly Used Blocks</u>
« Transfer Fcn » Fonction de transfert	 Transfer Fcn	<u>Simulink/Continuous</u>
« Gain » Multiplication par une constante	 Gain	<u>Simulink/Commonly Used Blocks</u>
« Scope » Oscilloscope	 Scope	<u>Simulink/Commonly Used Blocks</u>





Paramétrisation des blocs

Block Parameters: Constant

Constant

Output the constant specified by the 'Constant value' parameter. If 'Constant value' is a vector and 'Interpret vector parameters as 1-D' is on, treat the constant value as a 1-D array. Otherwise, output a matrix with the same dimensions as the constant value.

Main Signal Attributes

Constant value:

24

☒ Interpret vector parameters as 1-D

Sample time:

inf

? OK Cancel Help Apply

Block Parameters: Constant1

Constant

Output the constant specified by the 'Constant value' parameter. If 'Constant value' is a vector and 'Interpret vector parameters as 1-D' is on, treat the constant value as a 1-D array. Otherwise, output a matrix with the same dimensions as the constant value.

Main Signal Attributes

Constant value:

0

☒ Interpret vector parameters as 1-D

Sample time:

inf

? OK Cancel Help Apply

Block Parameters: Sum

Sum

Add or subtract inputs. Specify one of the following:

- a) character vector containing + or - for each input port, | for spacer between ports (e.g. ++|-|++)
- b) scalar, ≥ 1 , specifies the number of input ports to be summed. When there is only one input port, add or subtract elements over all dimensions or one specified dimension

Main

Signal Attributes

Icon shape: round

List of signs:

|+-

?

OK

Cancel

Help

Apply

Block Parameters: $1/(Ls+R)$

Transfer Fcn

The numerator coefficient can be a vector or matrix expression. The denominator coefficient must be a vector. The output width equals the number of rows in the numerator coefficient. You should specify the coefficients in descending order of powers of s.

Parameters

Numerator coefficients:

[1]

Denominator coefficients:

[2e-3 2]

Absolute tolerance:

auto

State Name: (e.g., 'position')

"

OK Cancel Help Apply

Block Parameters: $1/(Js+f)$

Transfer Fcn

The numerator coefficient can be a vector or matrix expression. The denominator coefficient must be a vector. The output width equals the number of rows in the numerator coefficient. You should specify the coefficients in descending order of powers of s.

Parameters

Numerator coefficients:

[1]

Denominator coefficients:

[5e-2 0]

Absolute tolerance:

auto

State Name: (e.g., 'position')

"

OK Cancel Help Apply

Block Parameters: Km

Gain

Element-wise gain ($y = K.*u$) or matrix gain ($y = K*u$ or $y = u*K$).

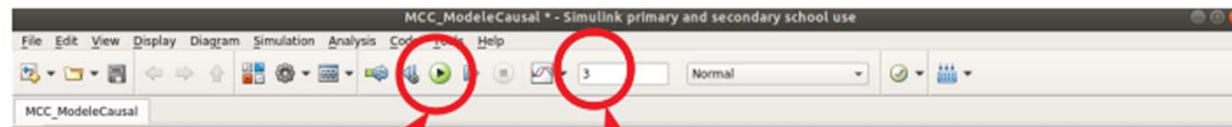
Main Signal Attributes Parameter Attributes

Gain:

0.8

Multiplication: Element-wise($K.*u$)

OK Cancel Help Apply



Lancer la simulation

Temps de simulation
[s]

